

# VISION BASED MOTION GENERATION FOR HUMANOID ROBOTS

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Habilitation à Diriger des Recherches  
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CNRS-AIST JRL (Joint Robotics Laboratory) UMI 3218/CRT



# Bio sketch



Start	End	Laboratory	Status
2011	-	LAAS, UPR 8001 CNRS	Researcher at CNRS,
2003	2011	CNRS/AIST, Joint Robotics Laboratory (UMI), ISR	Researcher at CNRS, Assistant Professor
2000	2003	IUT de Villetaneuse, L2TI (EA), LISV	Assistant Professor, ATER
1997	2000	Paris 6 (UPMC) AIST, Japan	PhD



# Motivations



## Long term scientific goal

Motion generation for complex sensory based behaviors  
Application: Service and Rescue Robotics



## Difficulties

- Planning: trajectory, tasks
- Control: balance, limits
- Curse of dimensionality



# Behavior - Game Theory



## Behavior: An optimization problem

$$B \left\{ \begin{array}{l} \min_{\mathbf{q}(t), \mathbf{v}(t)} \mathbf{f}(\mathbf{q}(t), \mathbf{v}(t)) \\ \mathbf{h}(\mathbf{q}(t), \mathbf{v}(t)) < \mathbf{0} \\ \mathbf{g}(\mathbf{q}(t), \mathbf{v}(t)) = \mathbf{0} \end{array} \right.$$

The game score

$\mathbf{f}(t)$

Game &  
Other Agent  
Representation

$\mathbf{v}(t)$

Rules of the  
game to  
constrain  
the actions

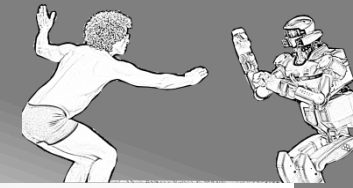
Actions

$\mathbf{q}(t)$

$$\mathbf{h}(t) \leq 0, \mathbf{g}(t) = 0$$



# Approach



What are the necessary and meaningful constraints ?

How to build the cost function for the behavior of interest ?

## Behavior: An optimization problem

$$B \begin{cases} \min_{\mathbf{q}(t), \mathbf{v}(t)} \mathbf{f}(\mathbf{q}(t), \mathbf{v}(t)) \\ \mathbf{h}(\mathbf{q}(t), \mathbf{v}(t)) < \mathbf{0} \\ \mathbf{g}(\mathbf{q}(t), \mathbf{v}(t)) = \mathbf{0} \end{cases}$$

How do we deal with such a huge search space ?

How to build an efficient world representation ?

# Approach



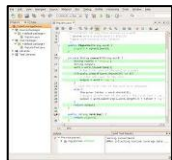
## Behavior: An optimization problem

$$B \begin{cases} \min_{\mathbf{q}(t), \mathbf{v}(t)} \mathbf{f}(\mathbf{q}(t), \mathbf{v}(t)) \\ \mathbf{h}(\mathbf{q}(t), \mathbf{v}(t)) < \mathbf{0} \\ \mathbf{g}(\mathbf{q}(t), \mathbf{v}(t)) = \mathbf{0} \end{cases}$$

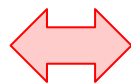
## Finding a solution

Complexity is NP-Hard

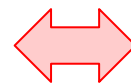
How can we break the complexity ?



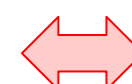
Software



Computer

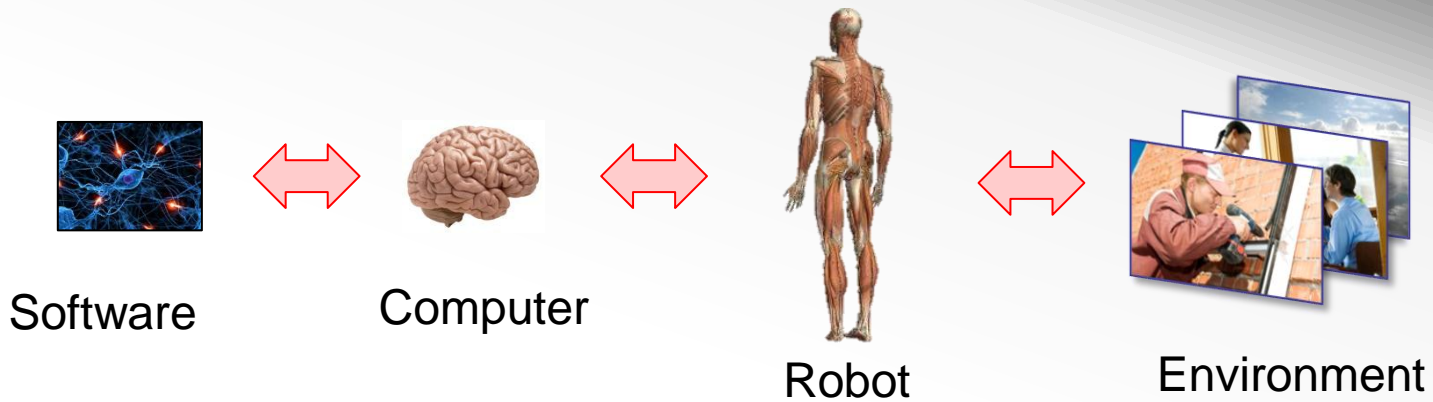


Robot

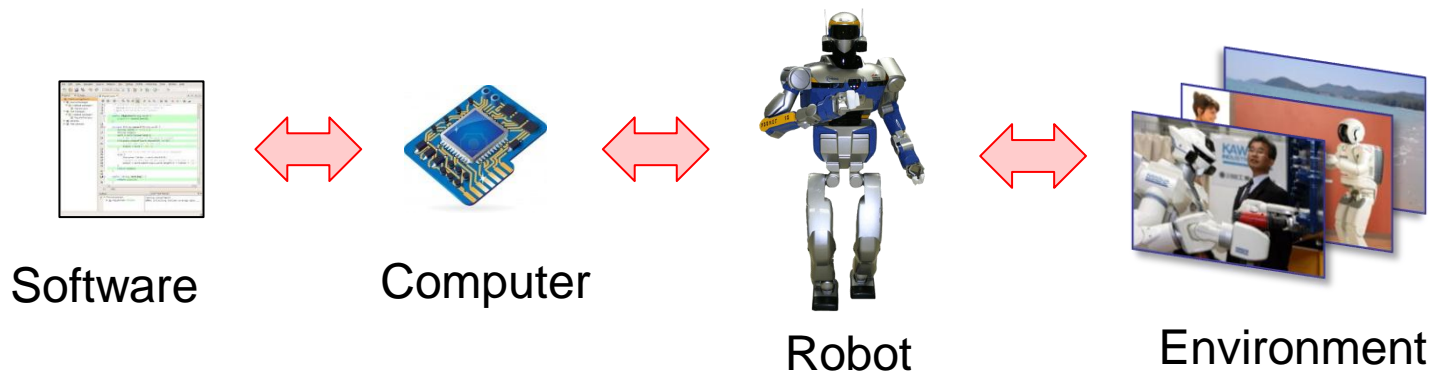


Environment

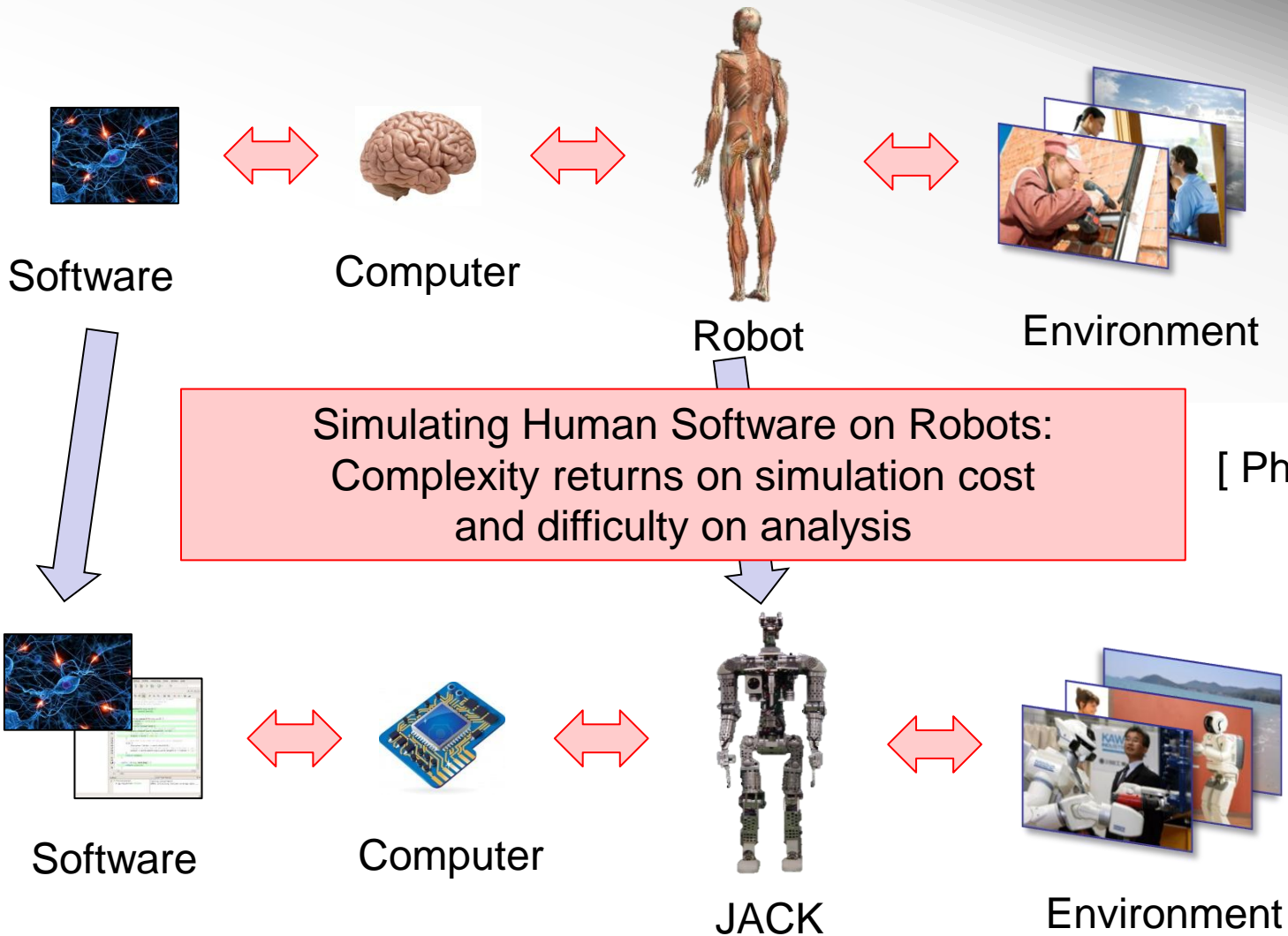
# Approach



Humans routinely solve NP-Hard problems !



# Approach : Human software

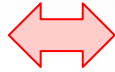




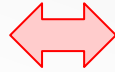
# Approach: Embodiment-application



Software



Computer



Robot



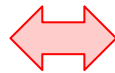
Environment

[ 2000-2003 ]

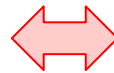
Robots can exhibit complex sensory based behaviors such as soccer with two limitations:  
Scaling is costly (building f is increasingly complex) and too specific  
Computational and decisional autonomy are constraining



Software



Computer

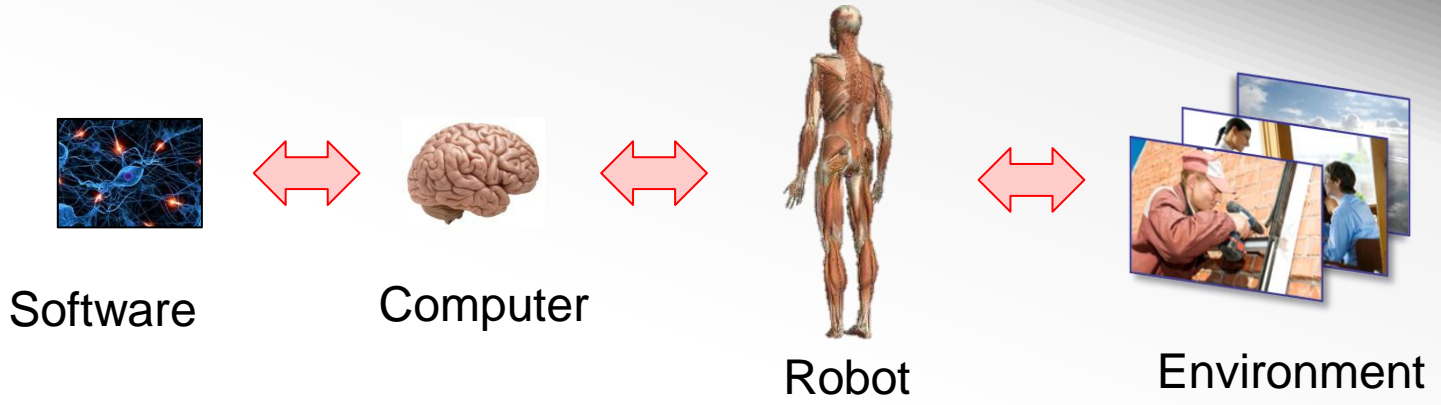


AIBO

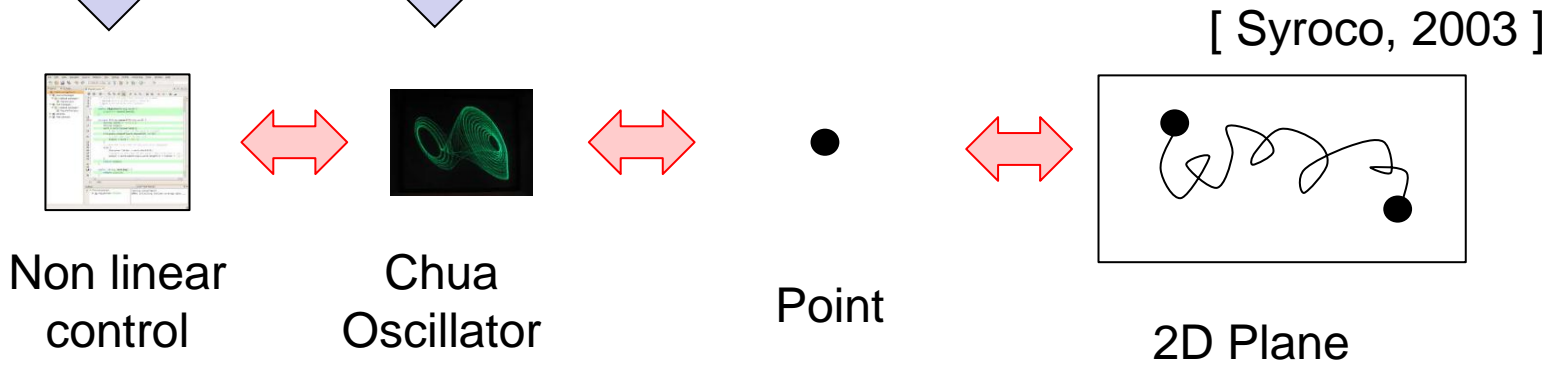


Robocup

# Approach: Analog computers



Exotic computers with possible more computational powers are VERY difficult to analyze and are limited in their applicability



# Approach: JRL 2003-



## Behavior: An optimization problem

$$B \begin{cases} \min_{\mathbf{q}(t), \mathbf{v}(t)} \mathbf{f}(\mathbf{q}(t), \mathbf{v}(t)) \\ \mathbf{h}(\mathbf{q}(t), \mathbf{v}(t)) < \mathbf{0} \\ \mathbf{g}(\mathbf{q}(t), \mathbf{v}(t)) = \mathbf{0} \end{cases}$$

Efficient formulation of the problems (NL  $\rightarrow$  QP)

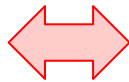
Using general constraints to limit the search space

Composition of generic motion capabilities

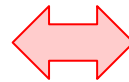
Forget about Human Analogy !  
(for now)



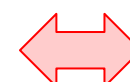
Software



Computer

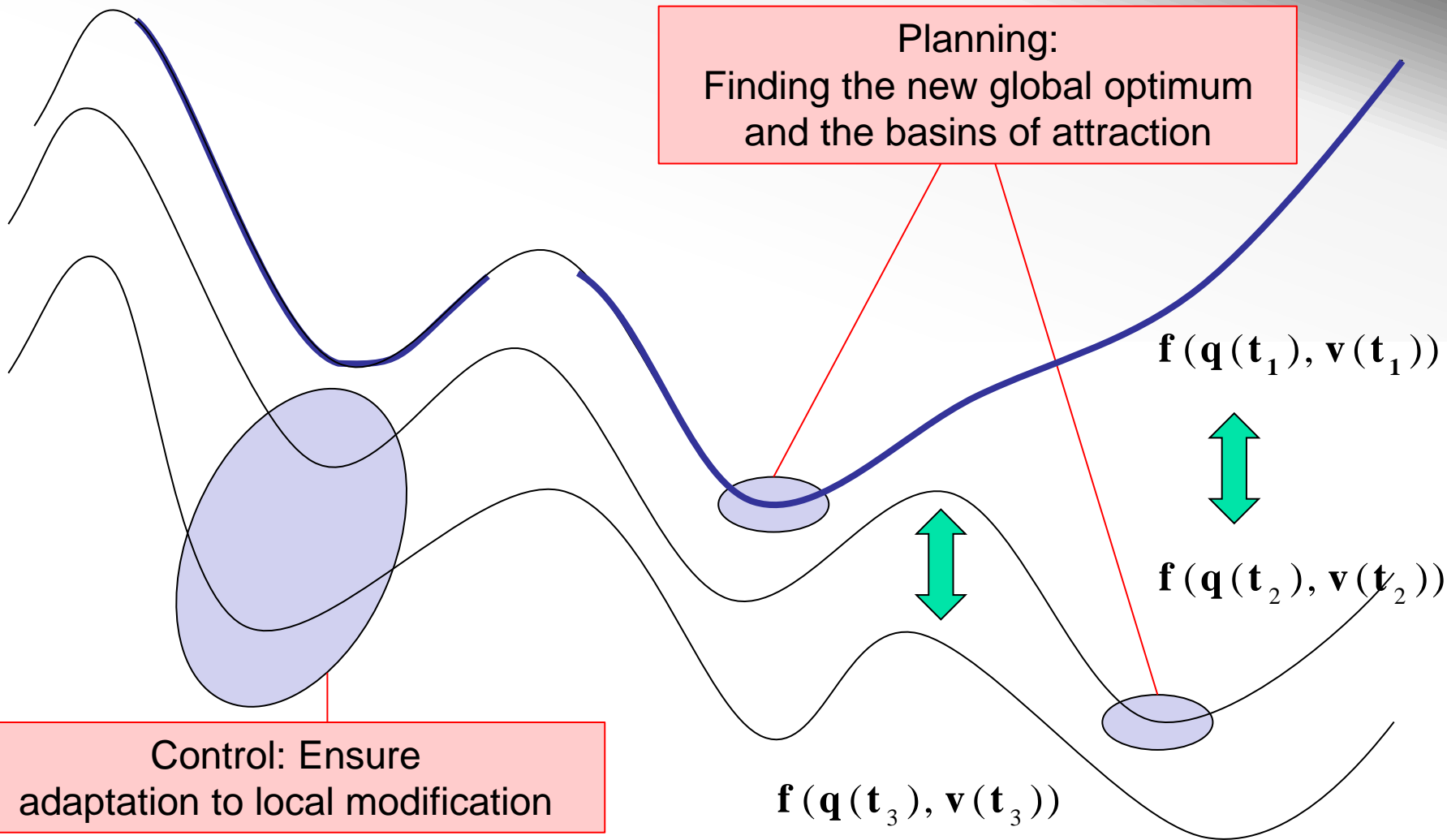


Robot



Environment

# Approach: JRL 2003-



# Approach: Software only



What are the necessary and meaningful constraints ?

How to build the cost function for the behavior of interest ?

Dynamics  
Physical Limits  
Balance  
Tasks

## Behavior: An optimization problem

$$B \begin{cases} \min_{\mathbf{q}(t), \mathbf{v}(t)} \mathbf{f}(\mathbf{q}(t), \mathbf{v}(t)) \\ \mathbf{h}(\mathbf{q}(t), \mathbf{v}(t)) < \mathbf{0} \\ \mathbf{g}(\mathbf{q}(t), \mathbf{v}(t)) = \mathbf{0} \end{cases}$$

Motion cost  
Distance to goal  
Approximation

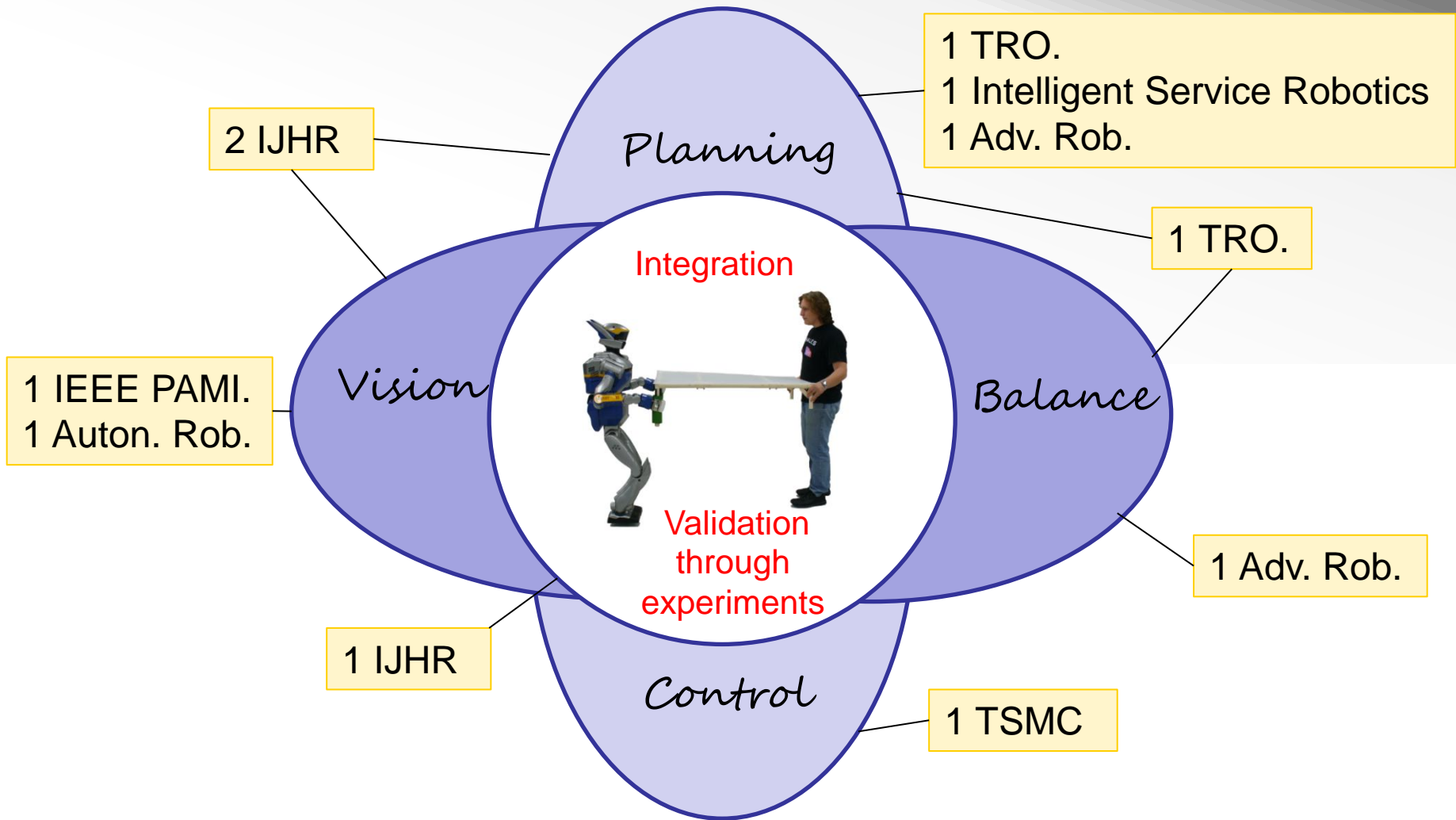
How do we deal with such a huge search space ?

How to build an efficient world representation ?

Planning  
Control

SLAM  
Object recognition  
Tracking

# Contributions



# Manuscript Organization



Walking  
With Simplified Model

Whole Body  
Motion

Motion Generation  
Planning (Hybrid Models)

Motion Generation

Interval Analysis for  
Triangulation

Visual Object Models  
for Seeing Far Away

Self Localization and  
Map Building

Visual Search

Object Visual Model  
Construction

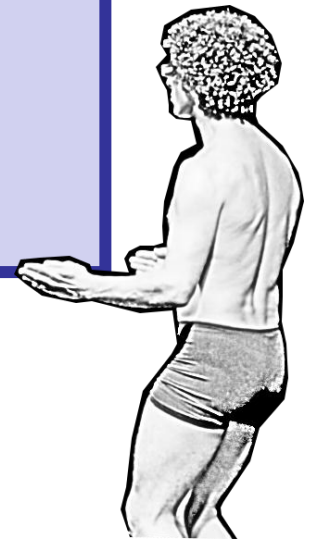
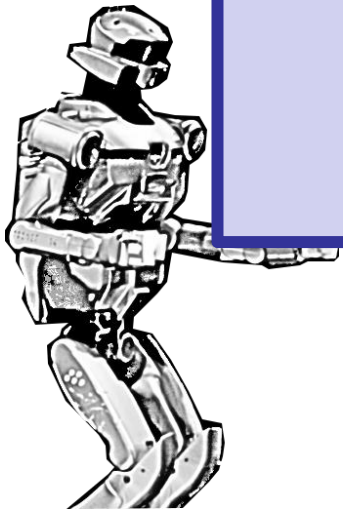
Computer Vision



# Overview



- Context – Problem statement
- Computer Vision
  - Next Best View
  - Visual Search
- Motion generation
  - Walking
  - Whole-Body Motion
  - Planning

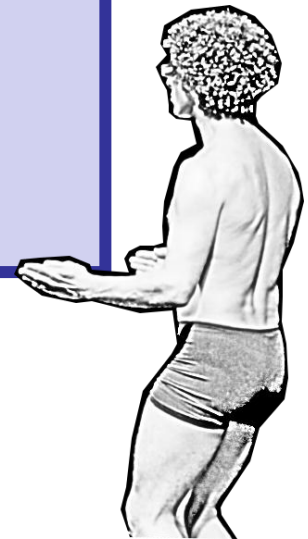
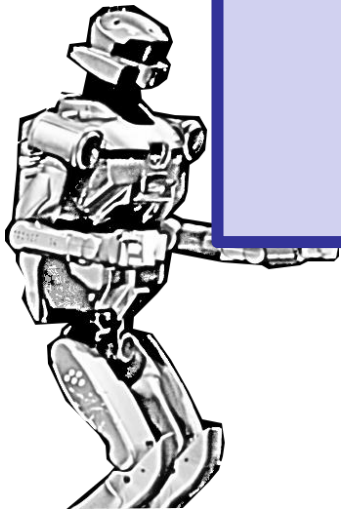




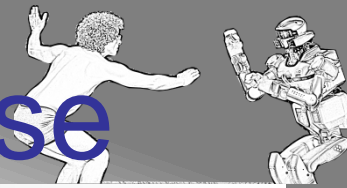
# Overview



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- ▶ Computer Vision
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# Next Best View & Body Pose

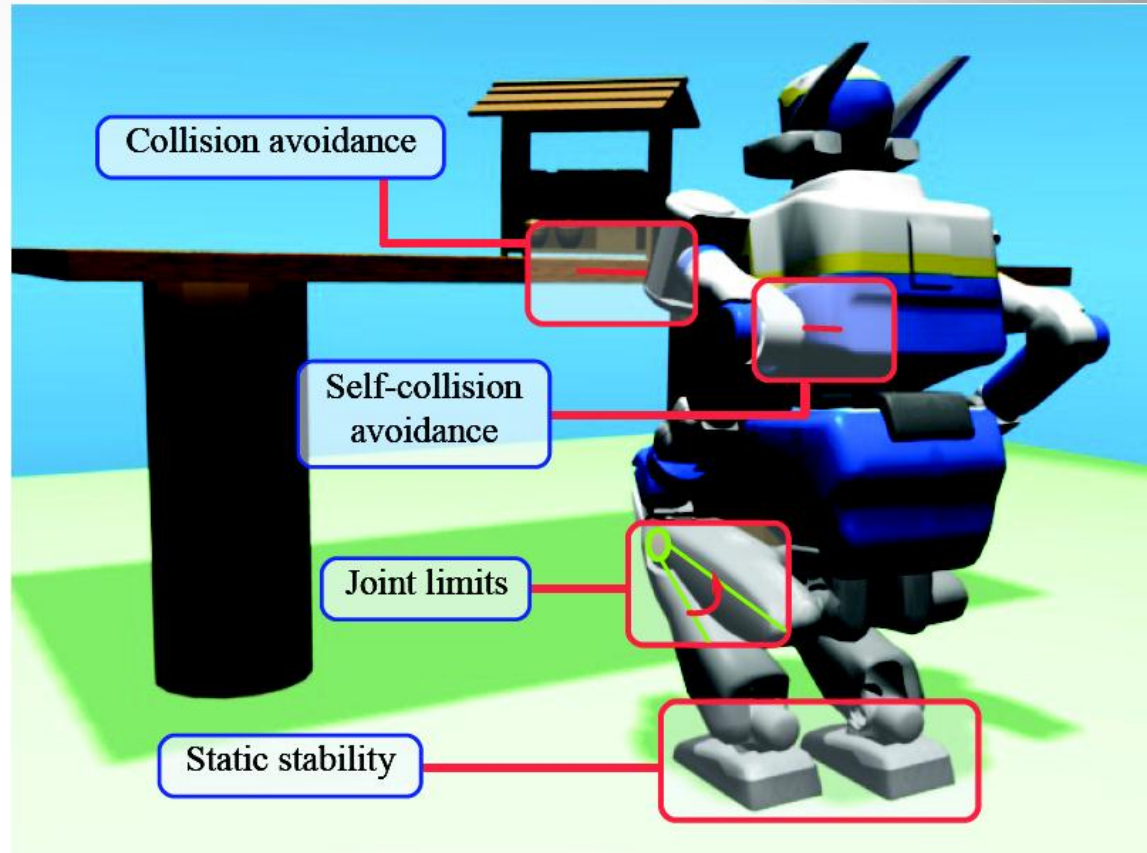


## Goal

HRP-2 should maximize the unknown projected into its vision system.

## Constraints

- Respecting the joint limits;
- Having both feet on the floor;
- Being statically stable;
- Keeping a sufficient number of landmarks visibles ;
- Avoid self-collision and collision with the environment.



# NBV: NewUOA

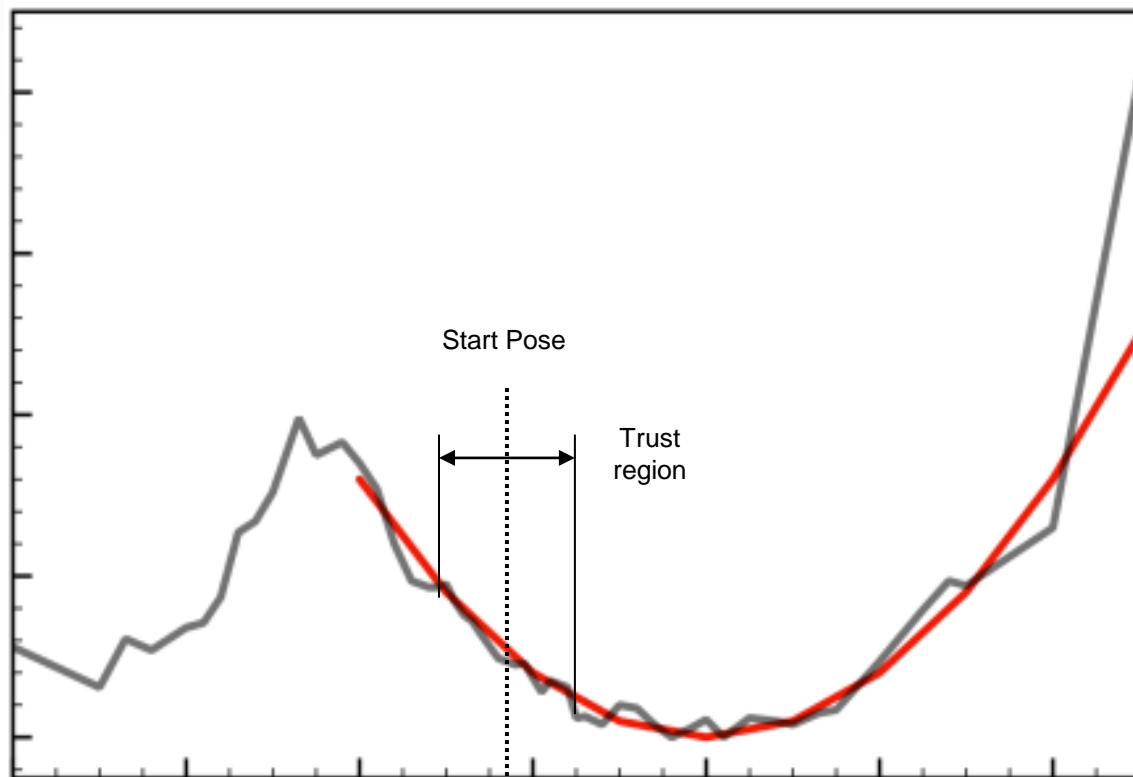


## Optimization Problem

Solved using CFSQP.  
Needs for a C-1 objective function

## Contributions

- Proposing such a function;
- Shows that its evaluations with discrete measurement do not behave well with FSQP;
- The image discretization introduce local minima.



# NBV: A 2-stage approach



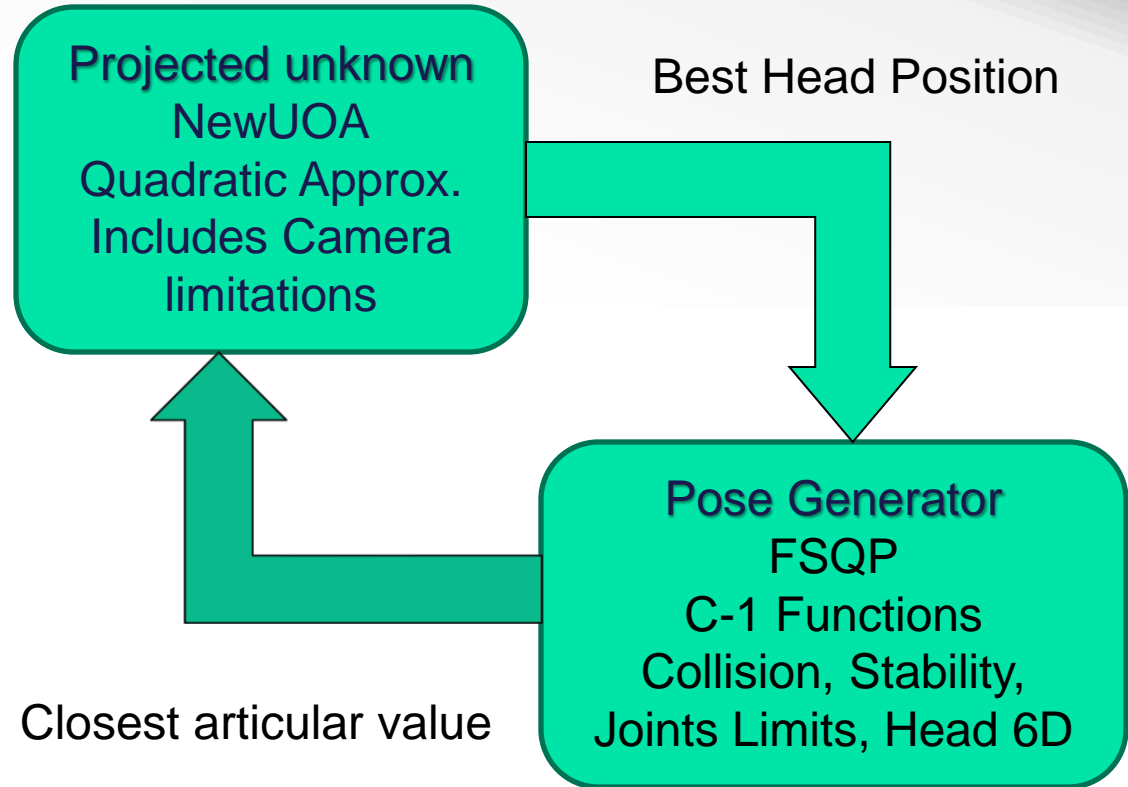
## Optimization Problem

Projected unknown:  
NEWUOA.

Pose:  
FSQP.

## Contributions

- Using an optimization algorithm which do not need derivability of the objective function;
- Iterate between several approximations while keeping a feasible pose;
- Stop when having a fixed point



# NBV: A 2-stage approach



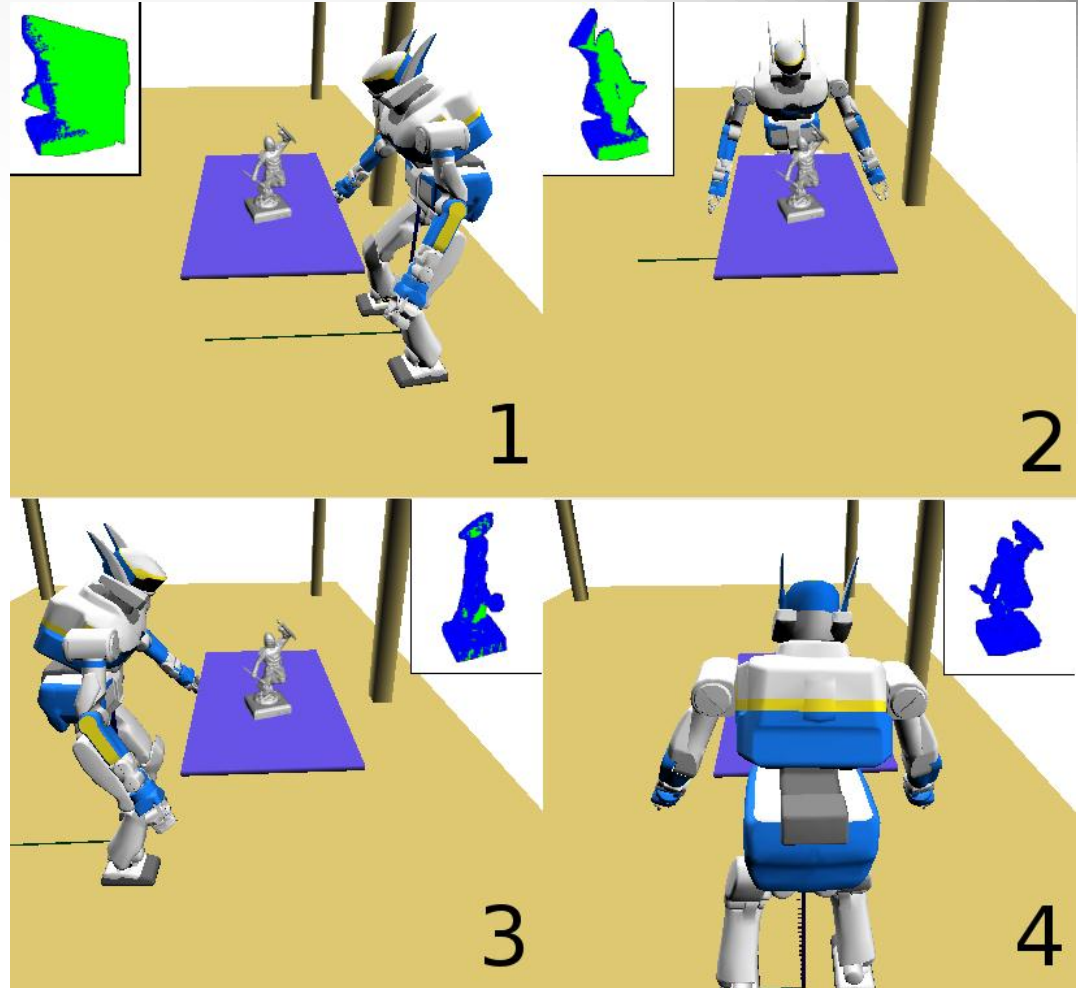
## Optimization Problem

Projected unknown:  
NEWUOA.

Pose:  
FSQP.

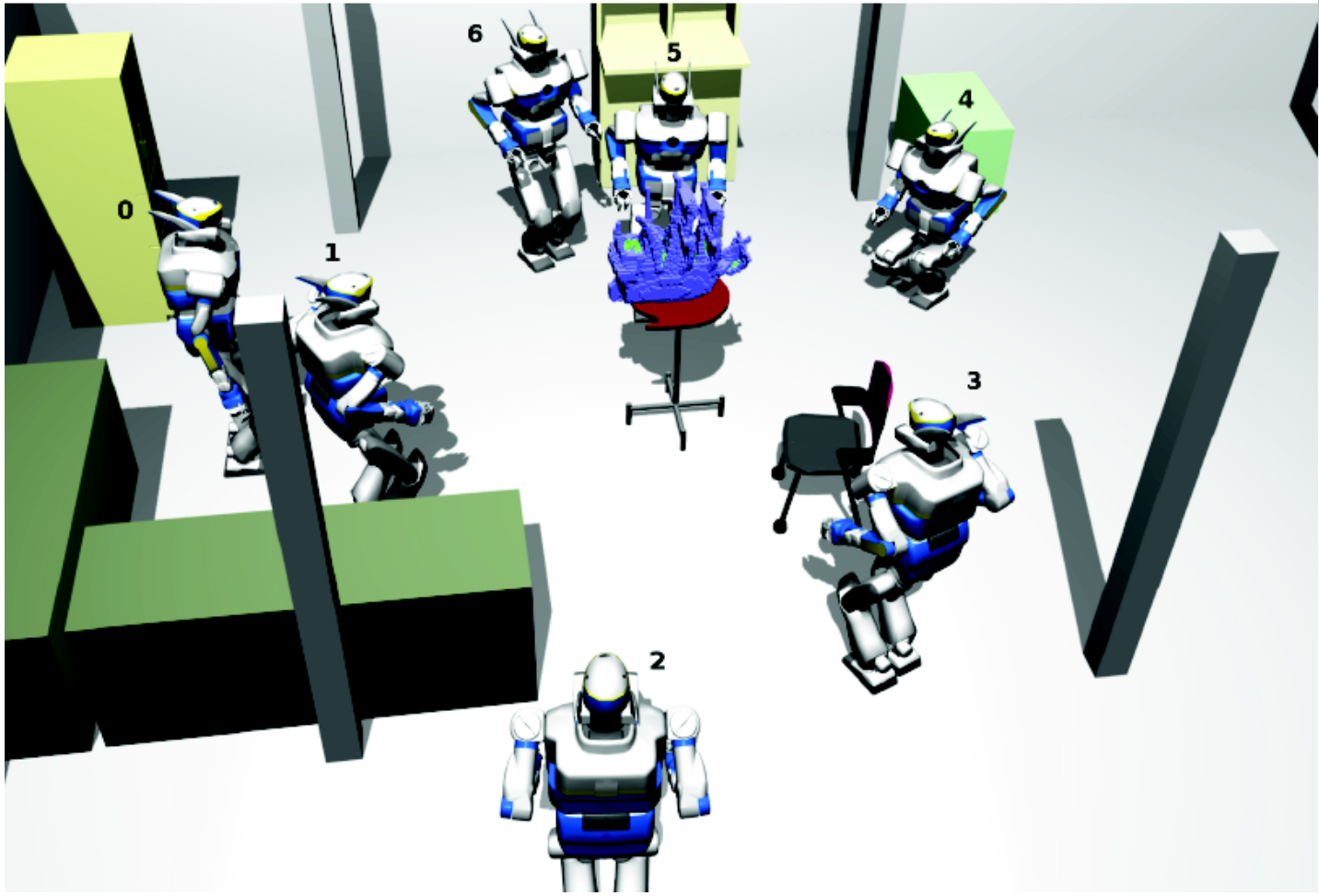
## Contributions

- Using an optimization algorithm which do not need derivability of the objective function;
- Iterate between several approximations while keeping a feasible pose;
- Stop when having a fixed point

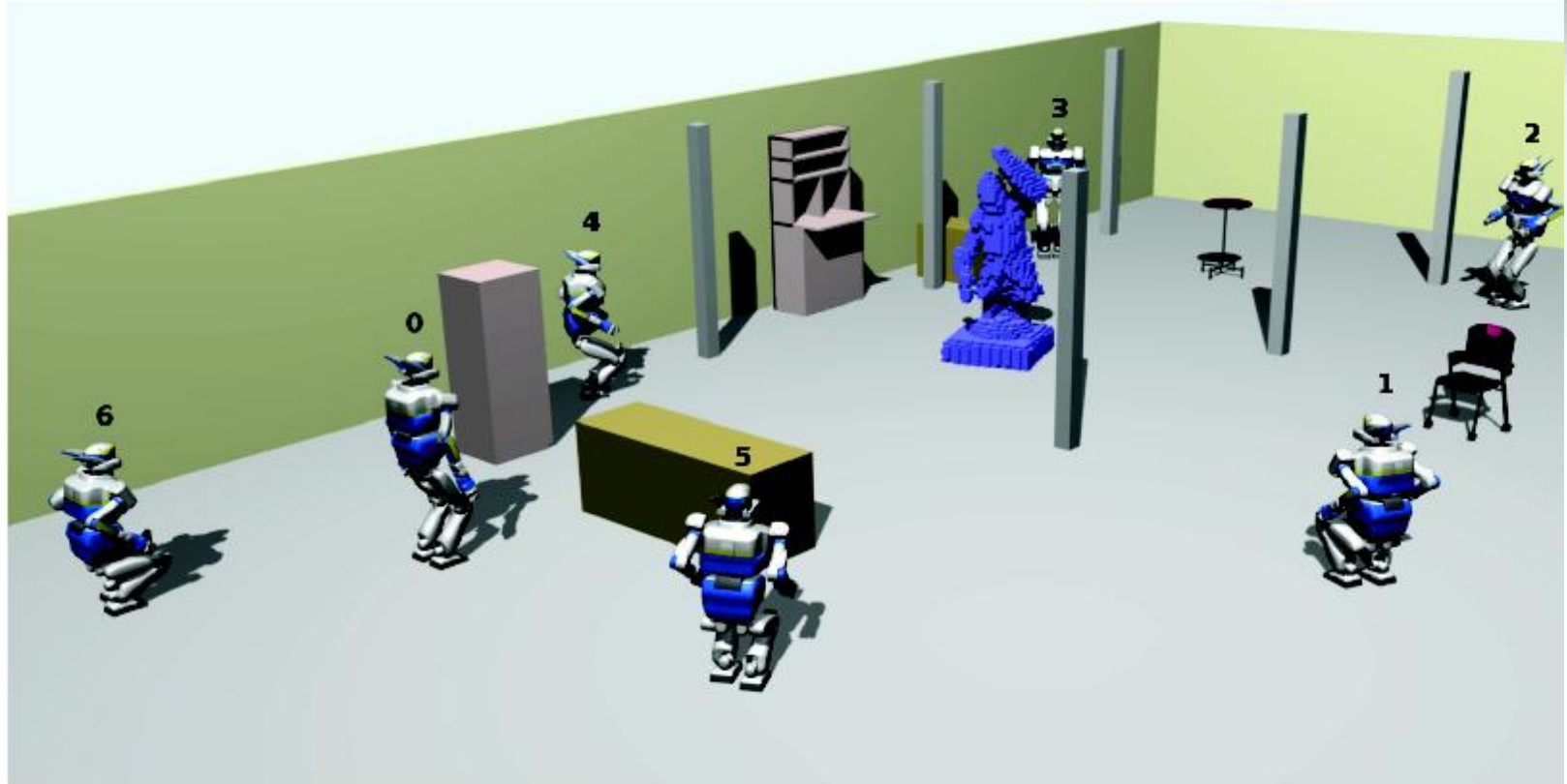


[ Foissotte, Stasse, Wieber, Kheddar, ICRA 2009 ]

# Non convex objects



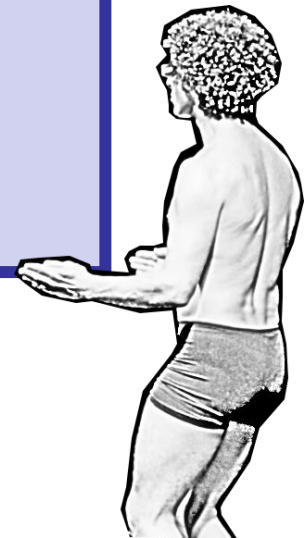
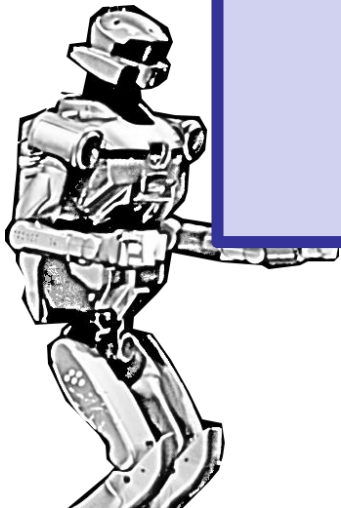
# Non convex objects



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# Problem statement



## Formulated as a discrete optimization problem

- Falls in the field of sensor planning problem (6 D.O.F) proven to be NP-complete [Tsotsos AIM 1996]



A heuristic strategy is needed

- Because of the limited field of view, limited depth, lighting condition, occlusion



Active vision is necessary

The Rating function to evaluate the interest of a potential next view is costly



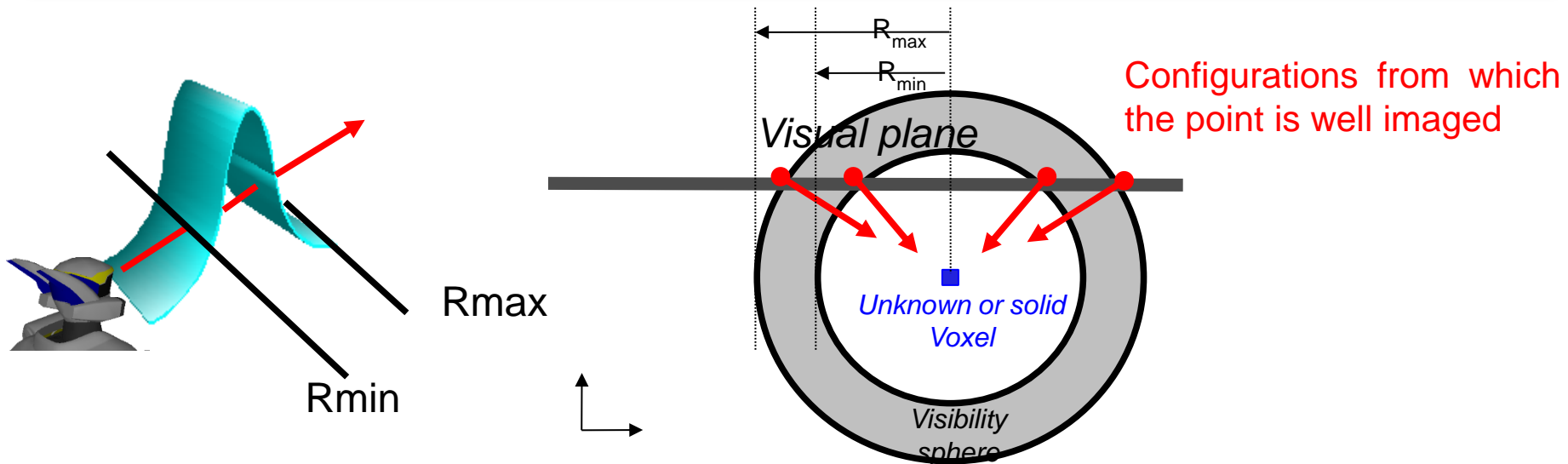
Need to formalize constraints on the sensor to speed up the search

# Visibility map (1/2)



A statistical accumulator in the sensor configuration space

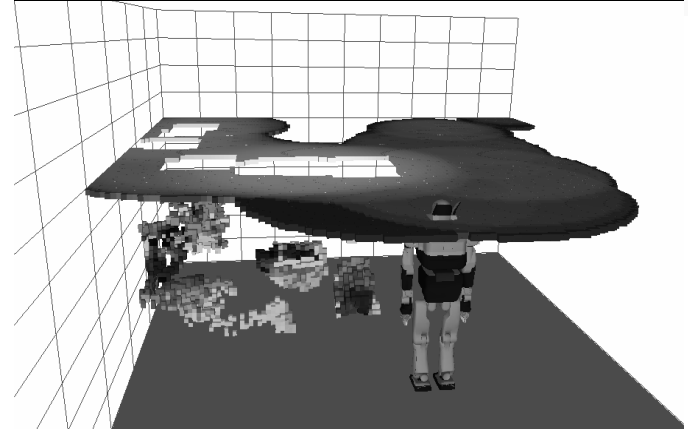
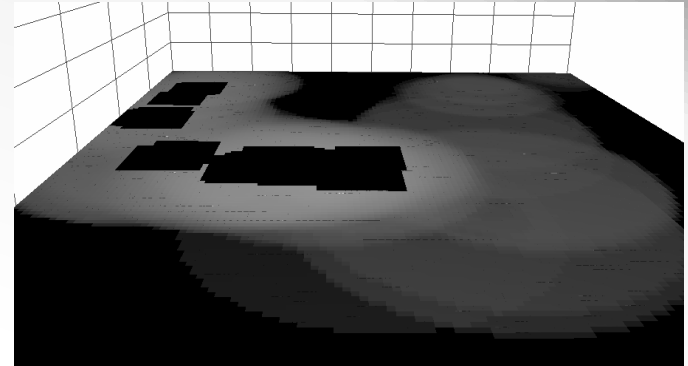
- Takes into account the limitation of the recognition algorithm (each point can be well recognized when viewed at a distance lying between  $R_{min}$  and  $R_{max}$ ).
- Each point of interest (unknown or solid) vote for all configurations from which it can be well imaged.



# Visibility Map (2/2)



- The contribution of all points of interest are summed up in what we call the visibility map.
- The figures on show a 2D projection of the 4D visibility map.
- Clear areas represents interesting configuration (in which many points are visible under good recognition condition)
- Computation time 380 ms



# Experiments



## An Exploration behavior with HRP-2 Humanoid Robot

**Francois Saidi\***  
**Olivier Stasse\***  
**Kazuhito Yokoi\***  
**Fumio Kanehiro\*\***

\*AIST-CNRS Joint Japanese-French Laboratory (JRL)

\*\*Intelligent System Institute AIST

[ Finalist for the Best Paper Award, ICAR 2007 ] [IROS 2007, LCNS 2007]



# Conclusion on Next Best View



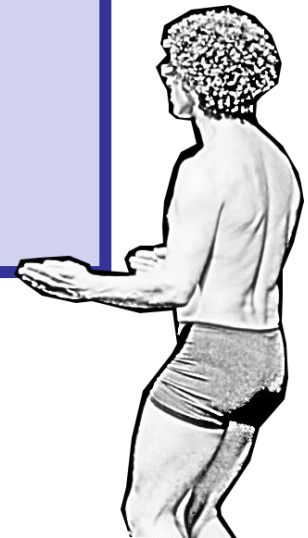
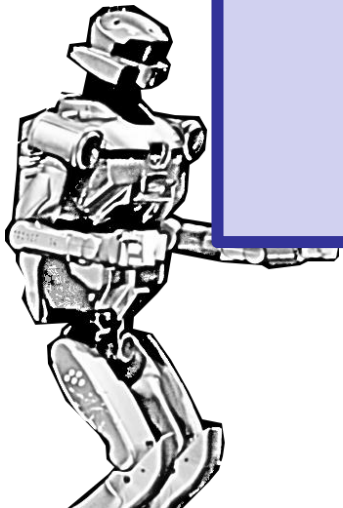
- Pro
  - Generic
  - Autonomous
- Con
  - Slow...
  - Slow...
  - Slow...



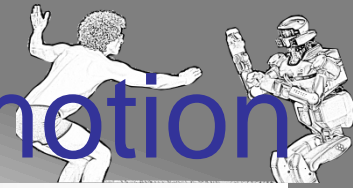
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# Constraints for a feasible motion



## Motion Constraint Satisfaction Problem

$MCSP_u$

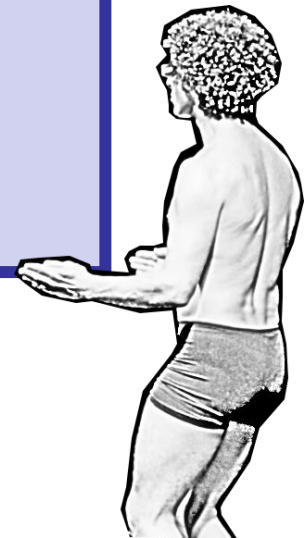
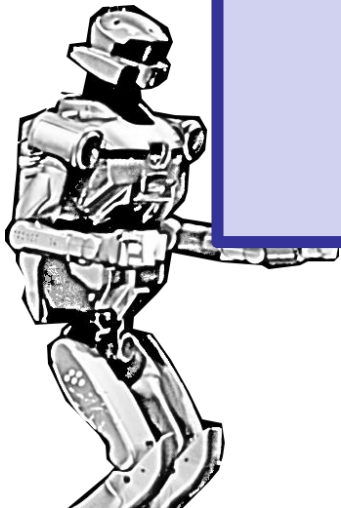
Robot Dynamics  
Friction cone  
Torque Limits  
Joint Limits  
Self-Collision



# Overview

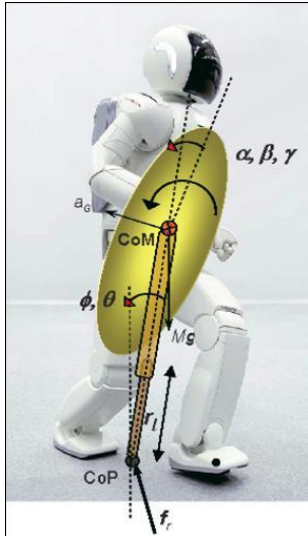


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# General balance constraints



## Necessary CoM constraints

$$\left\{ \begin{array}{l} m \ddot{\mathbf{c}} - m \mathbf{g} \\ \mathbf{W}_R \end{array} \right\} = \mathbf{C}_{1c}^\top(\mathbf{q}_c) \boldsymbol{\lambda}$$

$$\lambda_j \in \mathcal{C}_j$$

Assume the contact points chosen.  
Can we use the constraints to find a feasible CoM trajectory ?

If  $\mathbf{c}$  and  $\mathbf{W}_R$  are unknown the problem dimension is only 6.  
Also called the Inertia Shaping Problem.

Dealing with such constraints on a time horizon:  
Model Predictive Control

A solution for the Inertia Shaping Problem may NOT be feasible !

# Coplanar contact forces



## Inverted Pendulum – X axis

$$\mathbf{p}_x = \frac{m \mathbf{c}_x (\ddot{\mathbf{c}}_z + g) - m (\mathbf{c}_z - \mathbf{p}_z) \ddot{\mathbf{c}}_x - \mathbf{W}_R^y}{m (g + \ddot{\mathbf{c}}_z)}$$

Acceleration along Z axis equal to zero

Momentum Derivative set to Zero

## Linear Inverted Pendulum

$$\mathbf{p}_x = \mathbf{c}_x - \frac{\mathbf{c}_z \ddot{\mathbf{c}}_x}{g}$$

Problem:  
How to find  $\mathbf{c}$  knowing the constraints on  $\mathbf{p}$  ?

# Finding the CoM trajectory



When the CoP reference is given – LQR approach

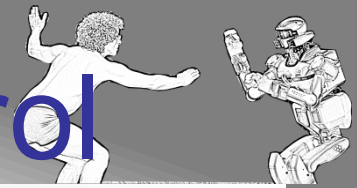
$$PC \begin{cases} \min \sum_{i=k}^{k+N-1} \frac{1}{2} Q (p_x(i+1) - p_x^{ref}(i+1))^2 + \frac{1}{2} R \ddot{\mathbf{c}}_x^2(i) \\ \mathbf{c}_x(k+1) = \mathbf{A} \mathbf{c}_x(k) + \mathbf{B} \ddot{\mathbf{c}}_x(k) \\ p_x(k) = \mathbf{C} \mathbf{c}_x(k) \end{cases} \quad [\text{Kajita, 2003}]$$

$$\mathbf{c}_x(k) \equiv [c_x(k) \dot{c}_x(k) \ddot{c}_x(k)]^\top,$$

$$\mathbf{A} \equiv \begin{bmatrix} 1 & T & T^2/2 \\ 0 & 1 & T \\ 0 & 0 & 1 \end{bmatrix}, \mathbf{B} \equiv \begin{bmatrix} T^3/6 \\ T^2/2 \\ T \end{bmatrix}, \mathbf{C} \equiv \begin{bmatrix} 1 & 0 & -\frac{c_z}{g} \end{bmatrix}$$

No guarantee that the generated solution is not going out the support polygon !

# Constrained Preview Control



## QP with linear constraints

$$PC_c \left\{ \begin{array}{l} \min_{\mathbf{c}_x(k)} \frac{1}{2} \mathbf{C}_x^2(k) \\ \mathbf{P}_x \mathbf{c}_x(k) + \mathbf{P}_u \mathbf{C}_x(k) \leq \mathbf{Z}^{\max}(k) \\ -\mathbf{P}_x \mathbf{c}_x(k) - \mathbf{P}_u \mathbf{C}_x(k) \leq -\mathbf{Z}^{\min}(k) \end{array} \right. \quad [\text{Wieber, 2006}]$$

$$PC_c^{ref} \left\{ \begin{array}{l} \min_{\mathbf{c}_x(k)} \left( \frac{1}{2} \mathbf{C}_x^2(k) + \alpha \dot{\mathbf{C}}_x^2(k) + \beta (\mathbf{Z}_k(k) - \mathbf{Z}^{ref}(k))^2 \right) \\ \mathbf{P}_x \mathbf{c}_x(k) + \mathbf{P}_u \mathbf{C}_x(k) \leq \mathbf{Z}^{\max}(k) \\ -\mathbf{P}_x \mathbf{c}_x(k) - \mathbf{P}_u \mathbf{C}_x(k) \leq -\mathbf{Z}^{\min}(k) \end{array} \right.$$

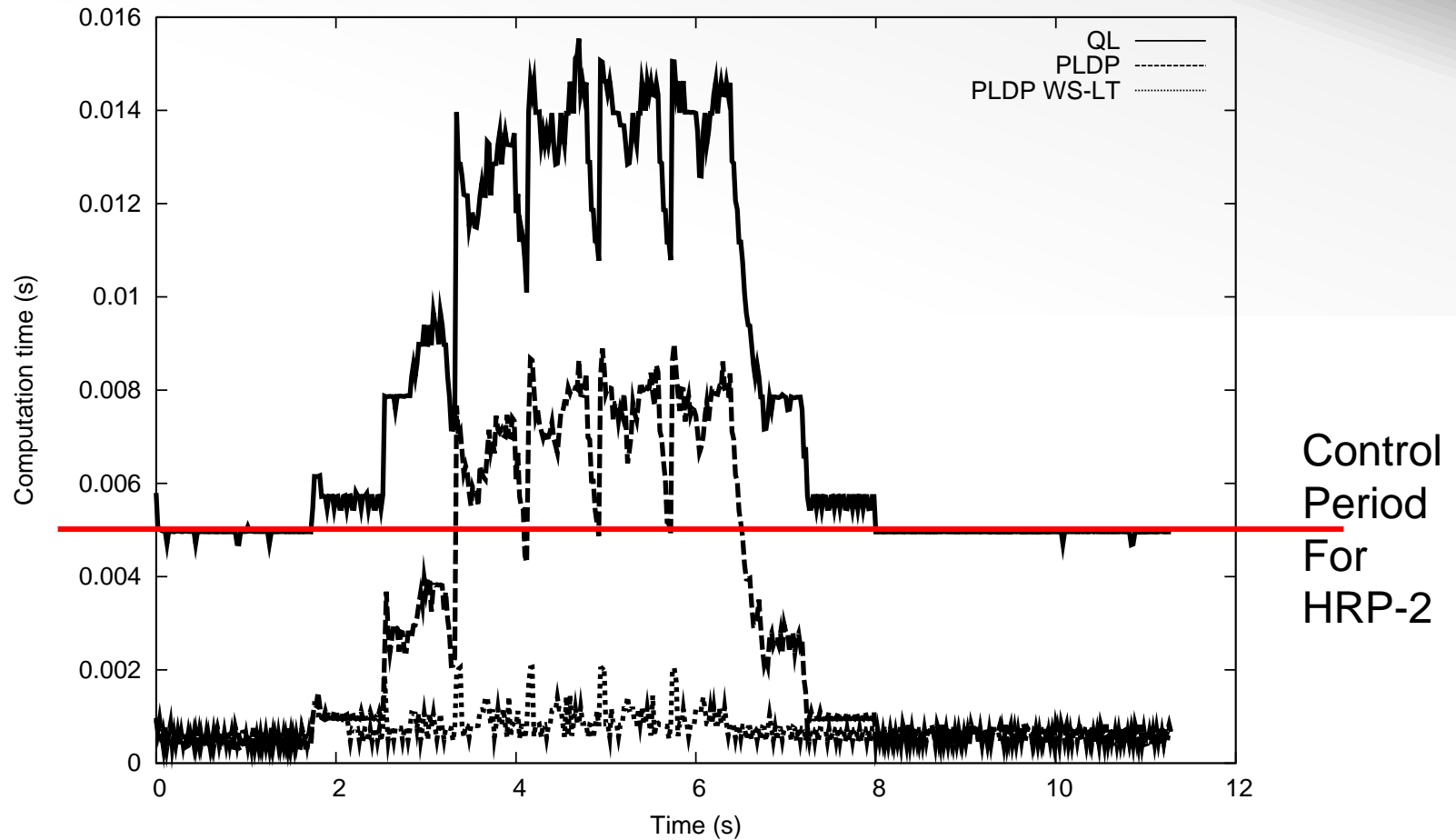
Constraints almost never deactivated



# Computation cost



Computation time for QL, PLDP, with Warm Start (WS), with Limited Time (LT) on HRP-2



# Automatic Foot placement



## New free variables: feet positions/ Walking without Thinking

$$\begin{cases}
 \min_{\mathbf{u}(k)} \frac{\beta}{2} \left\| \dot{\mathbf{X}}(k+1) - \dot{\mathbf{X}}^{ref}(k+1) \right\|^2 + \frac{\beta}{2} \left\| \dot{\mathbf{Y}}(k+1) - \dot{\mathbf{Y}}^{ref}(k+1) \right\|^2 \\
 \text{linear constraints on ZMP} \\
 \text{linear constraints on Foot Position} \quad \longrightarrow \\
 \text{Learning Feasibility Foot Steps Transitions [N. Perrin, TRO, 2012]} \\
 \text{with } \mathbf{u}(k) = \begin{pmatrix} \dots \\ \mathbf{X}(k) \\ \mathbf{X}^f(\mathbf{k}) \\ \dots \\ \mathbf{Y}(k) \\ \mathbf{Y}^f(k) \end{pmatrix}
 \end{cases}$$

[Herdt, A.R., 2010],[Herdt, IROS, 2010]

# Visual servoing



## Visual Servoing for Walking motion

C. Dune, A. Herdt, S. Embarki,  
O. Stasse, P.-B. Wieber, E.  
Yoshida, K. Yokoi



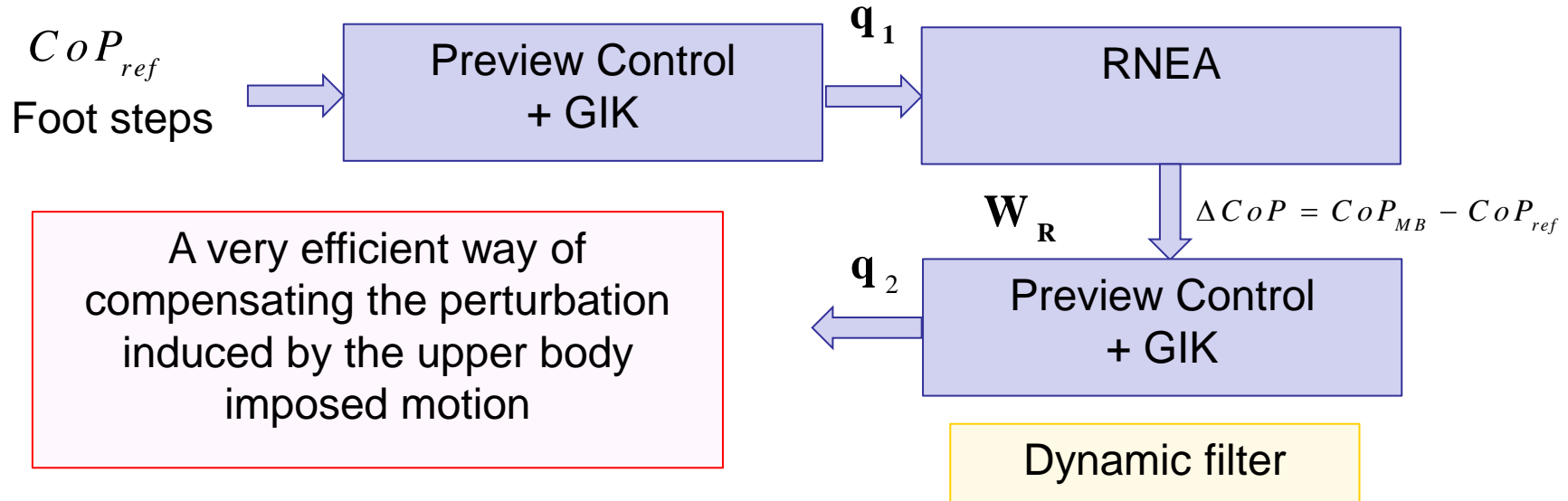
# Angular momentum ?



## Inverted Pendulum – X axis

$$\mathbf{p}_x = \frac{m \mathbf{c}_x (\ddot{\mathbf{c}}_z + g) - m (\mathbf{c}_z - \mathbf{p}_z) \ddot{\mathbf{c}}_x - \mathbf{W}_R^y}{m (g + \ddot{\mathbf{c}}_z)}$$

In practice not zero





# Stepping over obstacles



 **AIST**  CENTRE NATIONAL DE LA RECHERCHE SCIENTIFIQUE

## Dynamically Stepping over Obstacles by the Humanoid Robot HRP-2

Björn Verrelst, Bram Vanderborght, Olivier Stasse & Kazuhito Yokoi



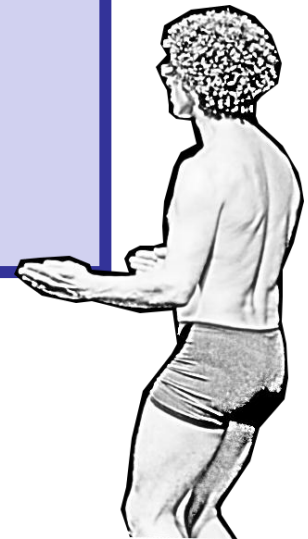
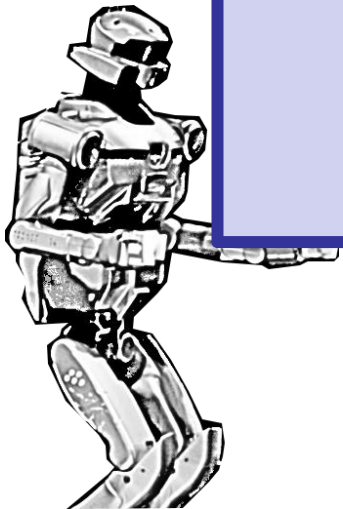
AIST/IS-CNRS/STIC Joint Japanese-French Robotics Laboratory

The central part of the slide features three sequential photographs of the HRP-2 humanoid robot. The robot is blue and silver, standing on a white platform. In the first image, it is approaching a white rectangular obstacle. In the second image, it is in the middle of stepping over the obstacle. In the third image, it has successfully stepped over the obstacle and is moving away. The robot is supported by a black overhead structure.

# Overview



- Context – Problem statement
- Computer Vision
  - Next Best View
  - Visual Search
- Motion generation
  - Walking
  - Whole-Body Motion
  - Planning



# Stacks of Tasks



## Task definition

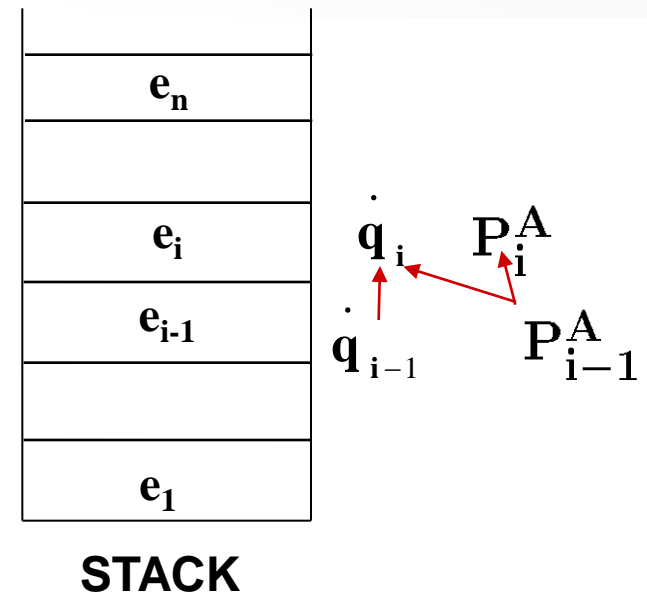
Error between current and desired sensor values:  $\mathbf{e} = \mathbf{s}^* - \mathbf{s}$   
Reference behavior of the error:  $\dot{\mathbf{e}} = -\lambda \mathbf{e}$   
The associated Jacobian matrix:  $\dot{\mathbf{e}} = \mathbf{J} \dot{\mathbf{q}}$   $\mathbf{J} = \frac{\partial \mathbf{e}}{\partial \mathbf{q}}$

## Combining Simple Controllers

- Handle mutual collaboration or exclusion of tasks
- Establish priorities

## Online Optimization

- The robot moves to minimize the criteria without guarantee that it will reach the maximum

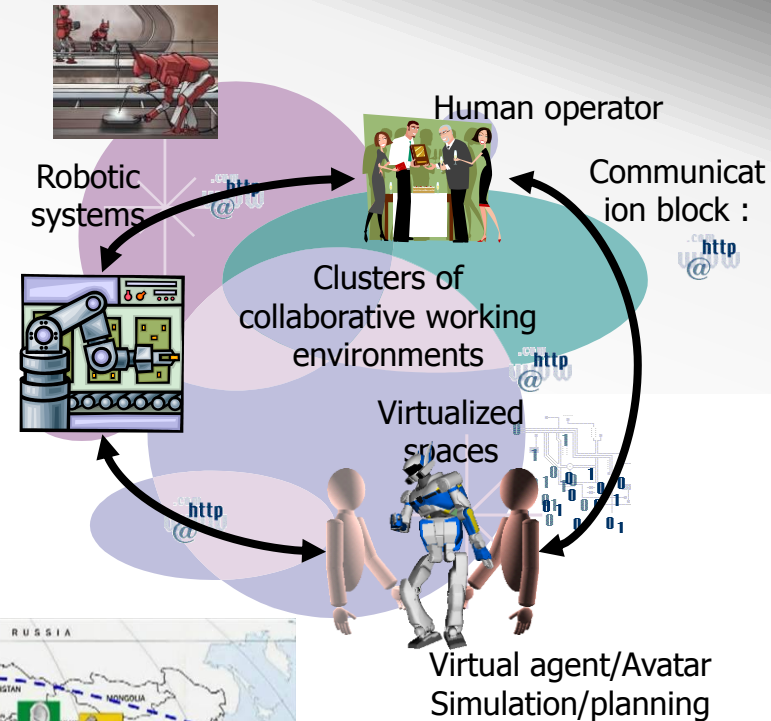


# Collaborative Working Environments

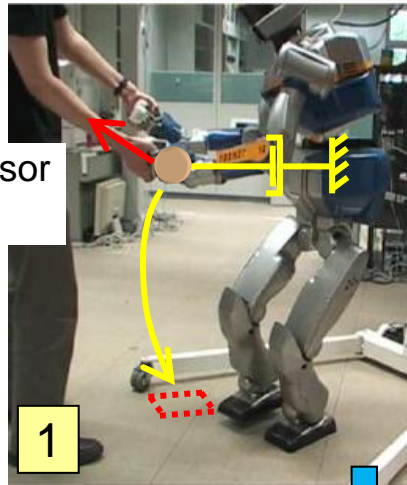


## ROBOT@CWE (2006 – 2009)

- Integrating robots in CWE
- EU Project FP6
- A robot can be your agent
- Members: CNRS and AIST (JRL), UC3M, TUM, UNISALZ, EPFL DRAGADOS, HP EIC, SAS
- [www.robot-at-cwe.eu](http://www.robot-at-cwe.eu)



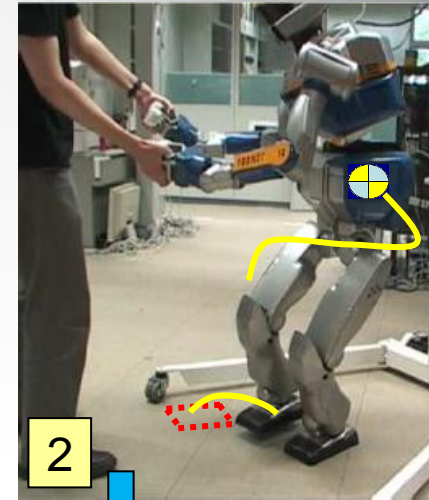
# Cooperation through force interaction



Force input and footstep planning

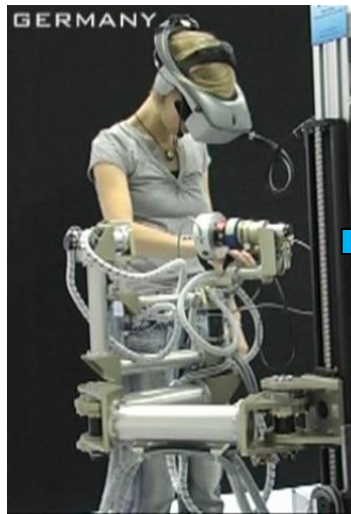
Force sensor input

1

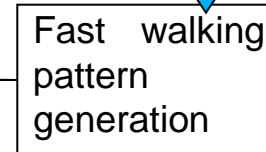
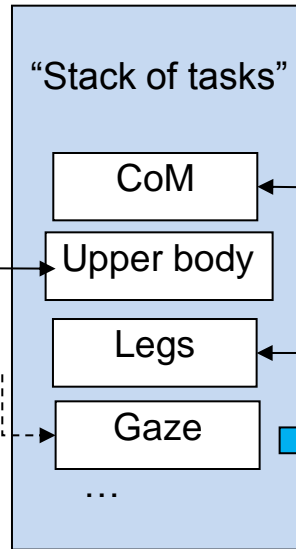
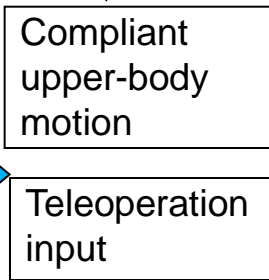


Real-time walking pattern generation:  
Stability and foot motion

2



Teleoperator




Real-time whole-body motion



# Robot@CWE final demonstrator



ROBOT  CWE

## **MULTI-MODAL COLLABORATIVE WORK WITH HUMANOID ROBOTS: A CASE STUDY WITH HRP-2**

O. STASSE, P. EVRARD, N. MANSARD,  
P. GERGONDET, A. KHEDDAR, K. YOKOI,  
E. YOSHIDA, T. SCHAUSS, C. PASSENBERG,  
A. PEER, M. BUSS, A. WEISS,  
M. TSCHELIGI, E. GRIBOVSKAYA,  
A. BILLARD, L. BLASI, J. GANCET,  
M. SEGARRA.

JRL, CNRS/AIST, LSR, TUM, PLUS, LASA, EPFL,  
HP ITALIANA, SAS, DRAGADOS



# Stack of Tasks



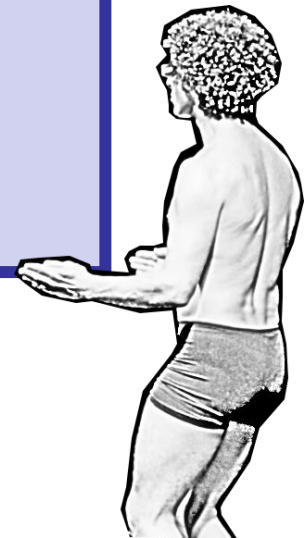
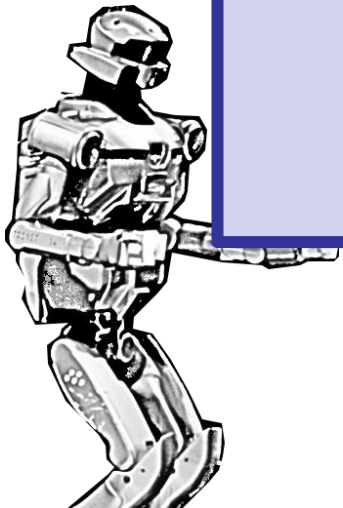
- Pro
  - Allow combination of simple controllers
  - Integrate priority to exclude tasks when necessary
  - Take into account constraints
- Con
  - Rank deficiency is not handled properly
  - Local minima
  - Possible discontinuity between task switching without additional mechanisms



# Overview

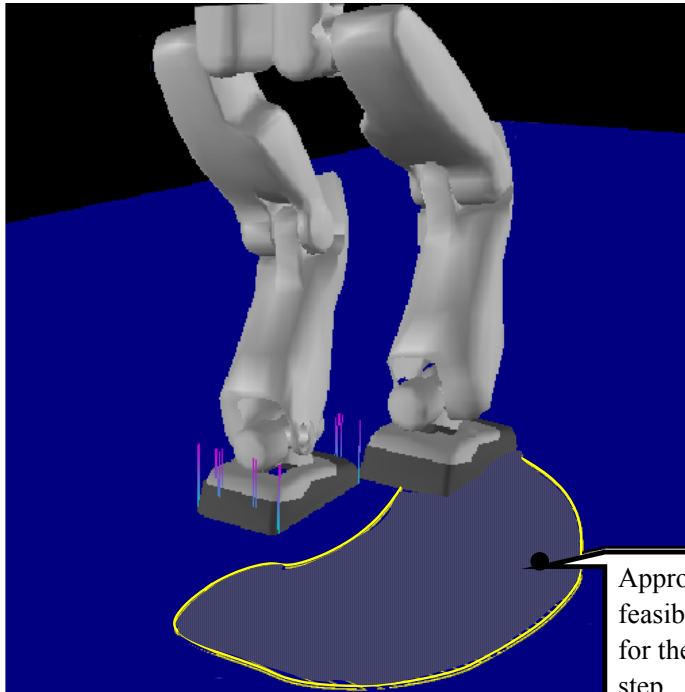


- ❑ Context – Problem statement
- ❑ Computer Vision
  - Next Best View
  - Visual Search
- Motion generation
  - Walking
  - Whole-Body Motion
  - Planning

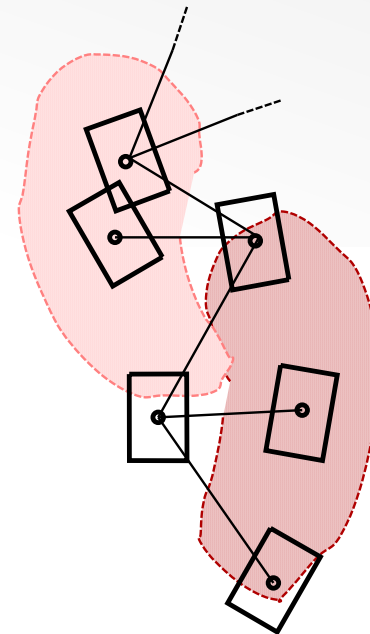




# Fast Foot-step feasibility checking



Approximated feasible region for the next step



# Function to approximate



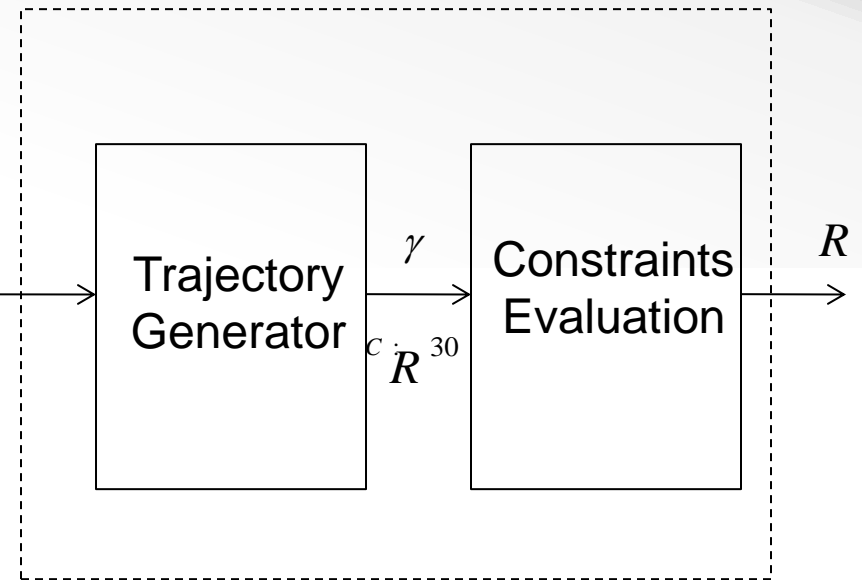
## Goal

Knowing in few micro seconds if a footstep is feasible. There is no real-time constraint for **building** the approximation.

$$(x_{right}, y_{right}, \theta_{right}, x_{left}, y_{left}, \theta_{left}) \in \mathbb{R}^6$$

## Constraints

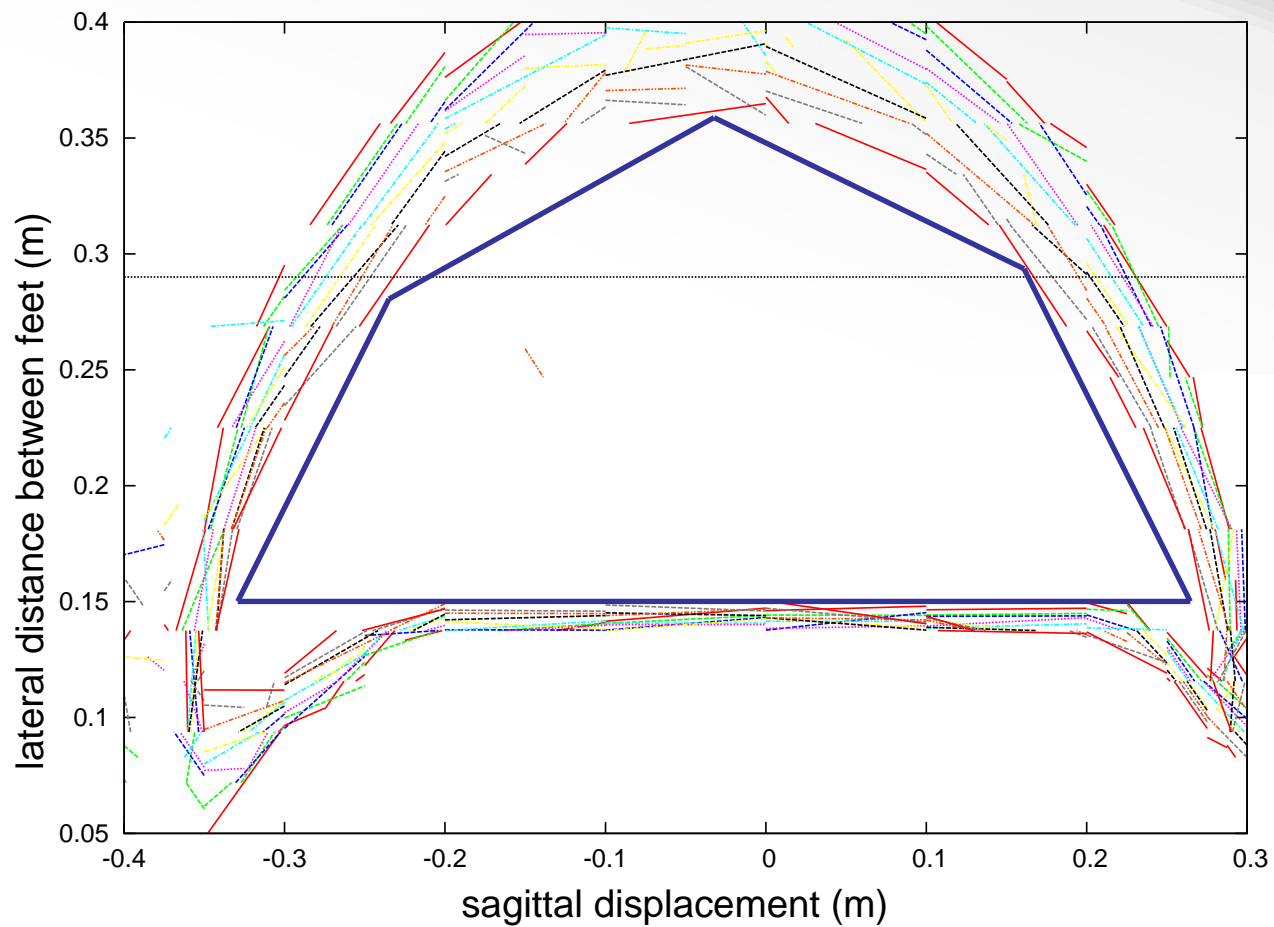
- Joint limits;
- Deviation from desired ZMP trajectory (i.e. dynamic stability);
- Self-collision;



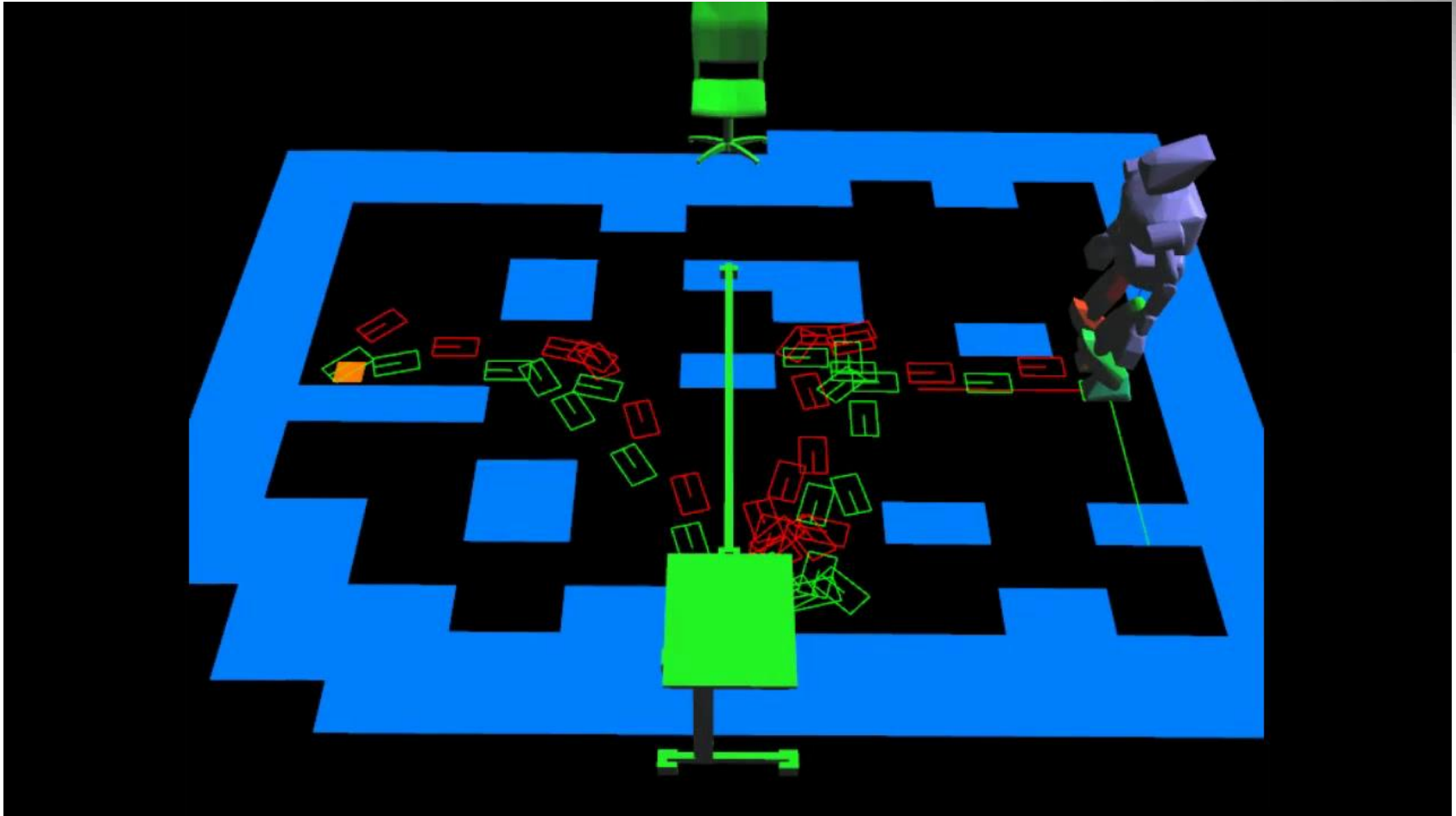
Approximation: 11 days (4 dim.)

Evaluation: 9 micro-seconds

# Approximation map



# Real-time foot step replanning



[ IEEE TRO Perrin 2012]



# Conclusion



- Reactive motion generation
  - Possible at the control level, but generation is complex without proper tools to combine basic controllers: Stack of Tasks
  - Planning complex motion generation calls for powerful representation of steering method
- Robot such as HRP-2 have not yet been fully exploited:
  - Real-time multi-contacts motions
  - Whole body real-time generation with heavy objects
  - Extreme motions



# Research Project (1/2)



## Scientific Problem

Make the robot able to acquire and use *knowledge* to solve NP-hard problems.

## Approach

Build statistical *oracles*.

## Method

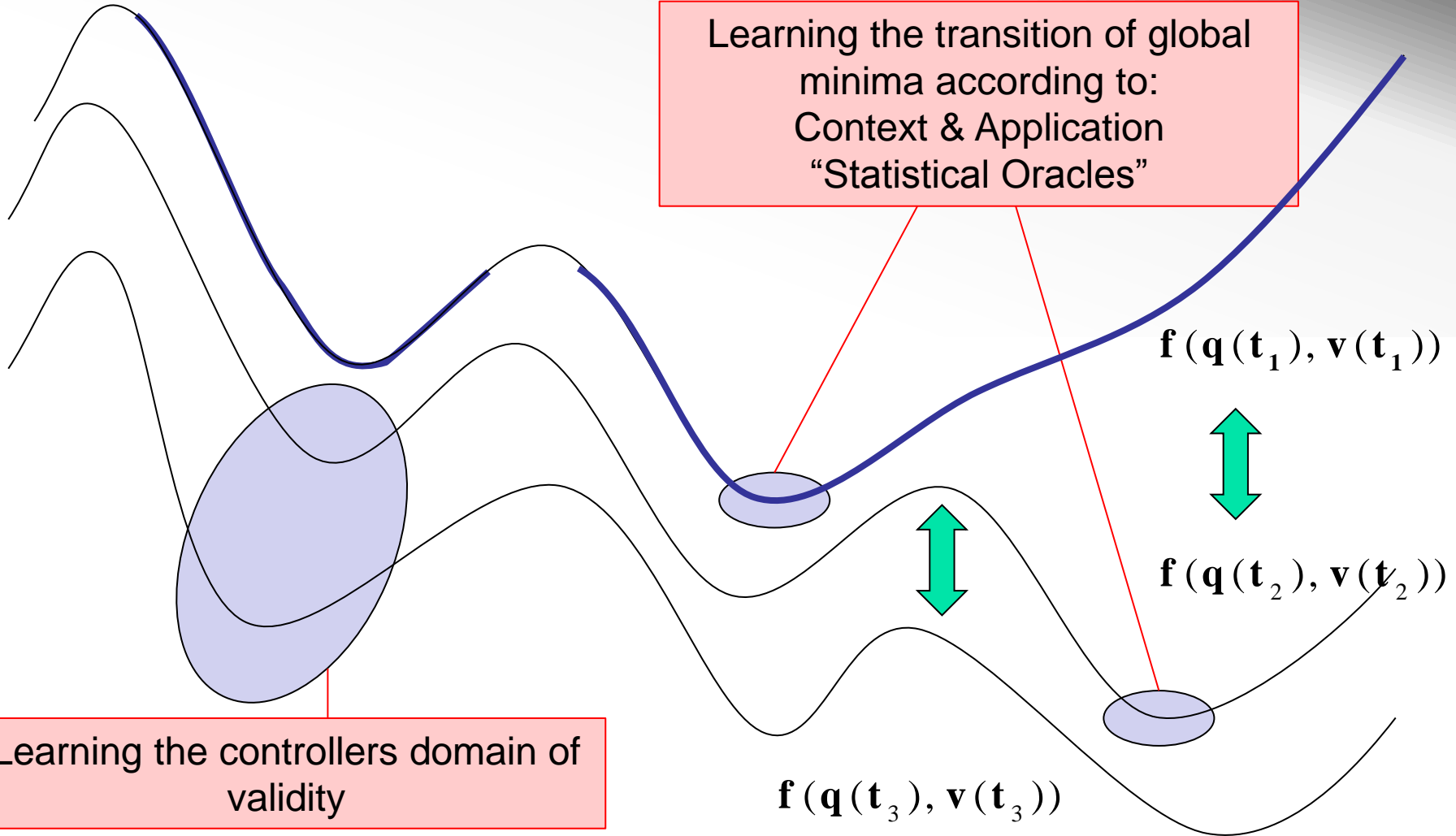
- Embodiment: Take into account constraints related to the body and the control scheme.
- Making the robot aware of its body, the context, and the environment.



# Approach



Learning the transition of global minima according to:  
Context & Application  
“Statistical Oracles”



Learning the controllers domain of validity

# More advanced controllers



## Walking while Seeing – Visual Servoing – MPC and walking

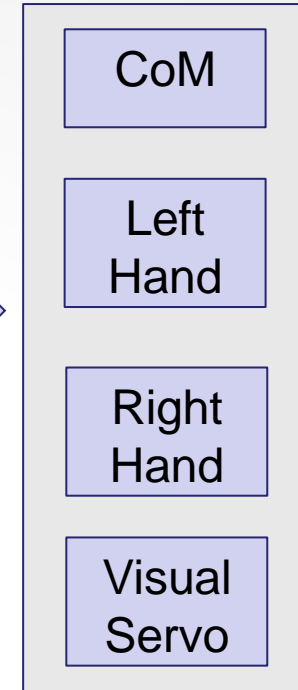
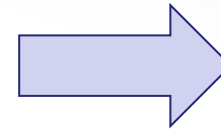
$$W w S \left\{ \begin{array}{l} \min_{\mathbf{u}(k)} \sum_{l=0}^M (S_l^d - S_{l,k}^m)^\top W (S_l^d - S_{l,k}^m) \\ \text{linear constraints on ZMP} \\ \text{linear constraints on Foot Position} \end{array} \right.$$
$$\text{with } \mathbf{u}(k) = \begin{pmatrix} \dots \\ \mathbf{X}(k) \\ \mathbf{X}^f(\mathbf{k}) \\ \dots \\ \mathbf{Y}(\mathbf{k}) \\ \mathbf{Y}^f(k) \end{pmatrix}$$

[Garcia, Stasse et al. IROS, 2013, submitted]



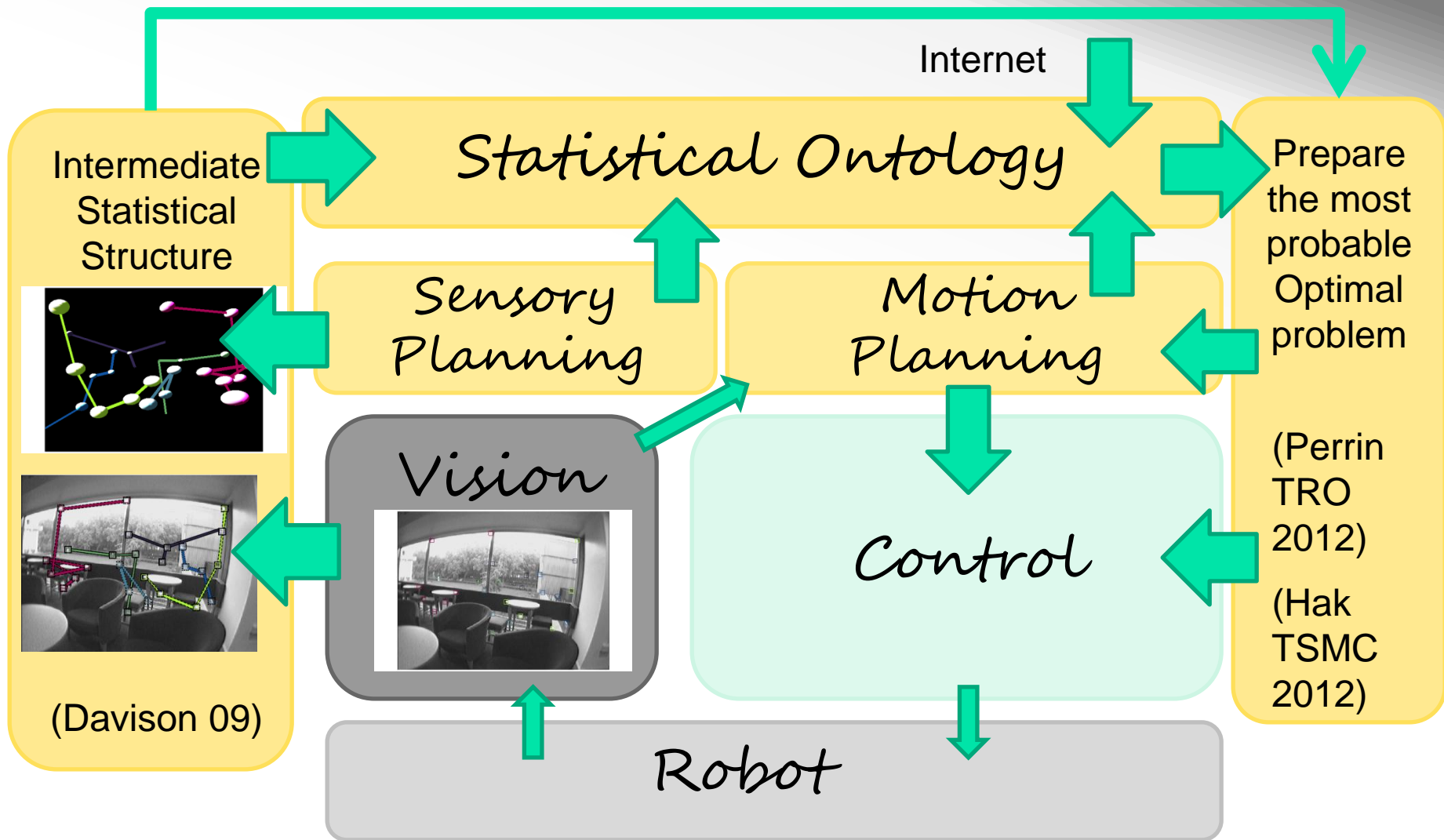


# Using Human Motion



[Hak, TSMC 2012]

# Research Project



# Challenge 1: Evolving in Factories



## Humanoid Robots in Factories

- Complex but structured environment
- Possible to add additional sensors to simplify perception problems
- Handle real life variability is mandatory
- Proof-Of-Concept



(Ford Vision of Future Factory)

# Challenge 2: Extreme Man



## Extreme Motions: Parkour

- Calls for new mechanical mechanisms: Variable Impedance
- Make the problem even more Non-Linear
- Size of the problem is two times bigger than classical structure

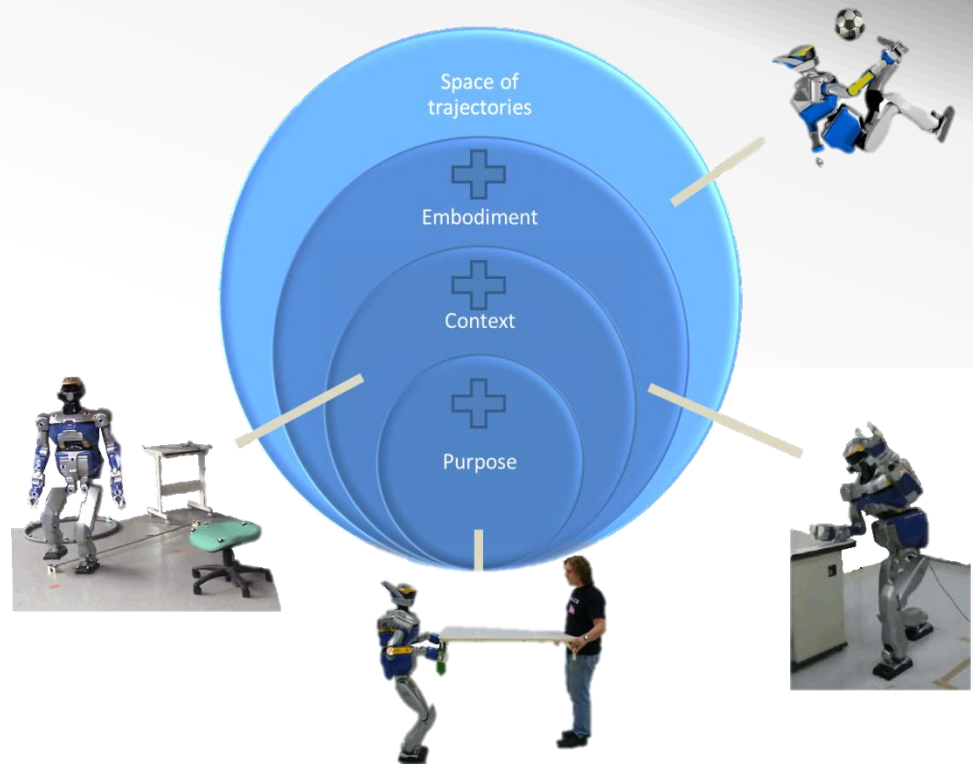


# Projects



## Status

- Coordinator of one FP-7 project submitted in the frame of ICT call 10 – Triple A
- Leading one Proof –Of-Concept project with a Big industrial partner.
- Participation to one challenging project sponsored by an international oil company.
- Involved in a proposal for European Robotics Challenges



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## Collaborators:

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A. Kheddar  
F. Lamiroux  
N. Mansard  
P.B. Wieber  
E. Yoshida



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S. Hak  
T. Foissotte

## Projects Colloboration:

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P. Evrard  
D. Larlus  
R. Sellaouti  
B. Vanderborght

## Post-doctoral fellows:

C. Dune  
B. Telle  
F. Saidi  
B. Verrelst

## Others:

T. Benrama  
AngeB

HRP-2  
with  
(Self) Collision  
Avoidance



Fast humanoid robot collision-free footstep planning  
using swept volume approximations

Nicolas Perrin<sup>1,2</sup> Olivier Stasse<sup>2</sup> Florent Lamiroux<sup>1</sup> and Eiji Yoshida<sup>2</sup>

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